Semester	JAN 2022
Open to semester	14,22
Course code	MT5224/MT6244
Course title	Analysis II
Credits	4 /4
Course Coordinator & participating faculty (if any)	Haripada Sau
Nature of Course	Lectures
Pre-requisites	Analysis I
Objectives (goals, type of students for whom useful, outcome etc)	The objective of this course is to prepare our PhD students for the Comprehensive Analysis Exam.
Course contents (details of topics /sections with no. of lectures for each)	Signed measures and Radon-Nikodym theorem, functions of bounded variations and absolutely continuous functions, derivatives of measures Uniform boundedness principle, closed graph theorem, open mapping theorem, the weak topology, the second dual and the weak* topology Test functions and distributions, calculus with distributions, localization, supports of distribution, distributions as derivatives, convolutions, Fourier transform, inversion theorem, Plancherel theorem, tempered distributions, Paley- Wiener theorems The homotopy version of Cauchy's theorem and existence of primitives on simply connected domains. Conformal mappings, Riemann mapping theorem. Infinite product and Weierstrass factorization theorem. Analytic continuation along a curve, monodromy theorem, analytic covering maps, Picard
Evaluation /assessment	End-Sem Examination-40% Mid-Sem Examination-60% Others-%
Suggested readings (with full list of authors, publisher, year, edn etc.)	W. Rudin's Real and Complex Analysis W. Rudin's Functional Analysis J. B. Conway's Complex Analysis

J. B. Conway's Functional Analysis